1.1 Rates, Ratios, and Proportions

Ratio: a comparison of 2 \#'s usually written as a fraction $\frac{2}{3} 2: 3 \quad 2$ to 3
Rate: a ratio that compares 2 quantities $\omega /$ different units mpg, dollars per hour
Proportion: an equation where 2 ratios are equal

Ratio Example
A landscaping company planted 100 azalea bushes and 75 box elder trees. Give the ratio of the following:

A: Azaleas to Box Elders $\frac{100}{75} \div 25=\left(\frac{4}{3}\right.$ to 4 to $4: 3$
B: Box Elders to Azaleas $\frac{75}{100} \quad \frac{3}{4} \quad 3$ to $4 \quad 3: 4$
C: Azaleas to all plants $\frac{100}{175}=\frac{4}{7}$
Rates: Find the rates of the following
A: A car traveled 400 miles on 18 gallons of gas. Find the rate (mpg)

$$
\frac{400 \mathrm{mi}}{18 \mathrm{gal}}=22.4 \mathrm{mpg}
$$

B: A 20 lb bag of fertilizer should cover 5000 square feet. Find the coverage per pound
$\frac{50}{20}=$
Proportions: Cross Multiplication

$$
\frac{5000}{20}=250 \mathrm{ft}^{2} / 16
$$



The ratio of female to male employees in a large department store is 8 to 3 . If there are 600 female workers, how many male workers
$600 \div 8$

$$
\begin{aligned}
& \text { are there? } \\
& M \frac{F}{3} \neq \frac{600}{x} \cdot \frac{8}{600}>\frac{3}{x} \quad \frac{3}{8}=\frac{x}{600} \\
& \begin{array}{l}
3 \cdot 600=8 \cdot x \\
\frac{1800}{8}=\frac{8 x}{8}
\end{array} \quad X=225 \text { males }
\end{aligned}
$$

